

Mini https:
Merkle Tree. Paaiškinimas-diagrama-Google drive.

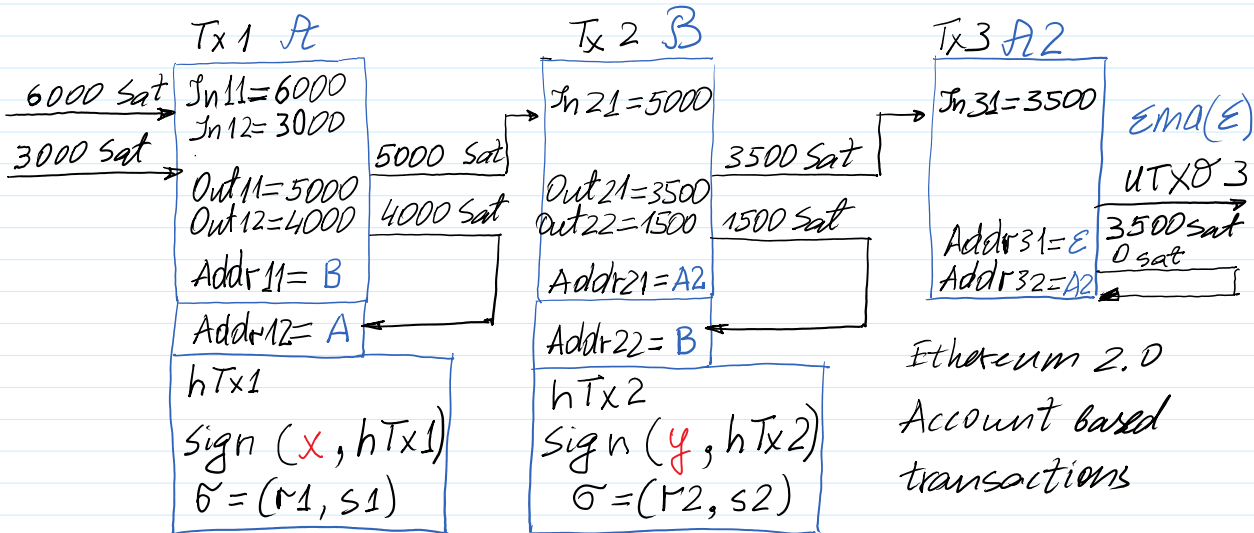
<https://docs.google.com/spreadsheets/d/187fYujTwtLJ4bG4tvQrNY8DXpR7fkRR/edit?usp=sharing&oid=111502255533491874828&rtpof=true&sd=true>

<https://docs.google.com/document/d/11Bwk8HXLvjvzAEImcRiFcacwnrrz0IBs/edit?usp=sharing&oid=111502255533491874828&rtpof=true&sd=true>

2 Dalis. Reikia žodžiu atsakyti dėstytojui į vieną iš sekančių teorinių klausimų, remiantis paskaitų medžiaga:

- 2.1. Aplklasis e-parašas ir jo panaudojimas.
 - 2.2. Aklojo e-parašo demaskavimas ir jo panaudojimas.
 - 2.3. Cut-and-Choose paradigma.
 - 2.4. Atsitiktinė Identifikacijos Eilutė - Random Identification String (RIS).
 - 2.5. Sukčiavimo nustatymas panaudojant RIS.
 - 2.6. Pagrindinės tranzakcijų sudėtinės dalys UTXO blokų grandinėje ir kriptografinių metodų panaudojimas .
 - 2.7. Pagrindinės blokų sudėtinės dalys, kaip gaunama blokų grandinė, kuo paremtas jos saugumas ir blokų kasyba.
- Atsakymas vertinamas maksimaliu balu 2.

Block structure - Unspent Transaction Output (UTxO) model



Tx 1 = '1 : In 11 = 6000 || In 12 = 3000 || Out 11 = 5000 || Out 12 = 4000 || Rec 1 = B || Rec 2 = A'

Tx 2 = '2 : In 21 = 5000 || Out 21 = 3500 || Out 22 = 1500 || Rec 1 = A2 || Rec 2 = B'

Tx 3 = '3 : In 31 = 3500 || Out 31 = 3500 || Out 32 = 0 || Rec 1 = E || Rec 2 = A2'

Transaction template:

Tx_N = 'Tx_N:In11=... || In12=... || Out11=... || Out12=... || Rec1=... || Rec2=...'

Transactions:

Tx_1 = 'Tx_1:In11=6000 || In12=3000 || Out11=5000 || Out12=4000 || Rec1=B || Rec2=A'

Tx_2 = 'Tx_2:In21=5000 || Out21=3500 || Out22=1500 || Rec1=A2 || Rec2=B'

Tx_3='Tx_3:ln31=3500|Out31=3500|Out32=0|Rec1=E|Rec2=A2'

>> hTx_1=h28('Tx_1:ln11=6000|ln12=3000|Out11=5000|Out12=4000|Rec1=B|Rec2=A')

hTx_1 = 996BB7C

>> hTx_1=h28(Tx_1)

hTx_1 = 996BB7C

>> hTx_2=h28('Tx_2:ln21=5000|Out21=3500|Out22=1500|Rec1=A2|Rec2=B')

>> hTx_2=h28(Tx_2)

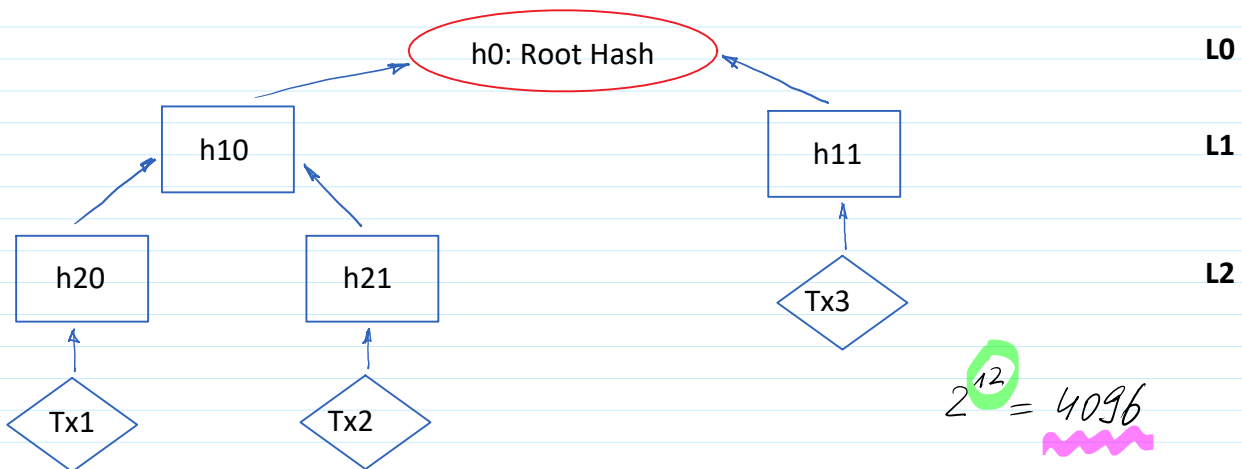
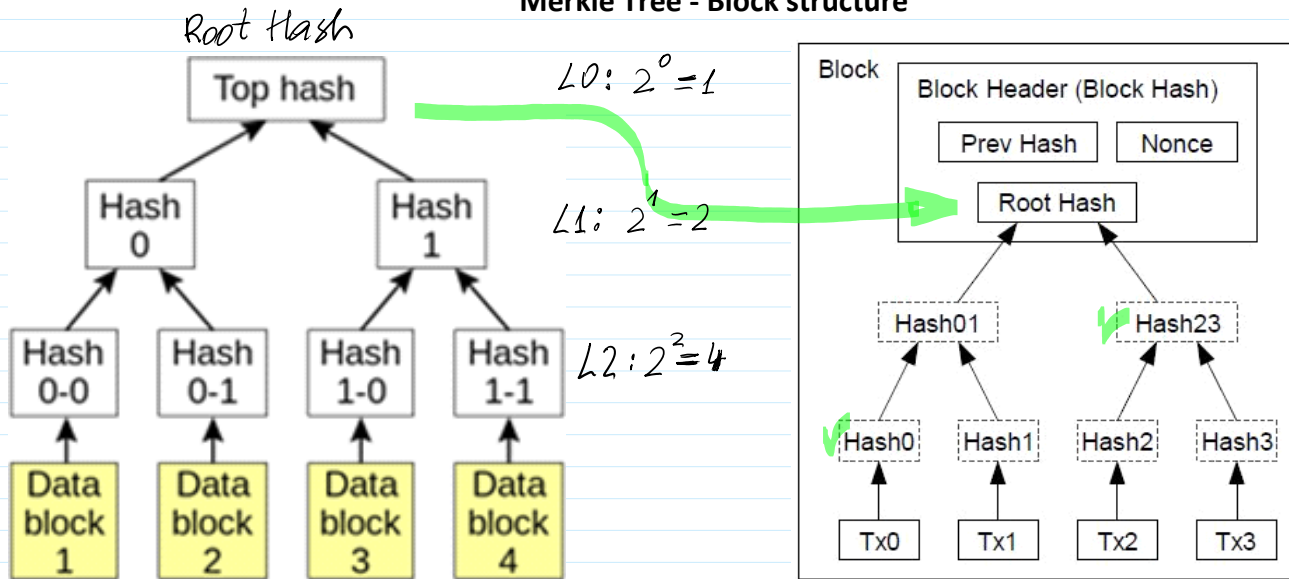
hTx_2 = 977D75B

>> hTx_3=h28('Tx_3:ln31=3500|Out31=3500|Out32=0|Rec1=E|Rec2=A2')

>> hTx_3=h28(Tx_3)

hTx_3 = 9201218

Merkle Tree - Block structure



>> h20=h28(hTx_1)

```

>> h20=h28(hTx_1)
h20 = 996BB7C
>> h21=h28(hTx_2)
h21 = 977D75B
>> h10=h28('996BB7C||977D75B')
h10 = 9201218
>> h11=h28(hTx_3)
h11 = 9201218
>> h0=h28('9201218||9201218')
h0 = 08E7C34

```

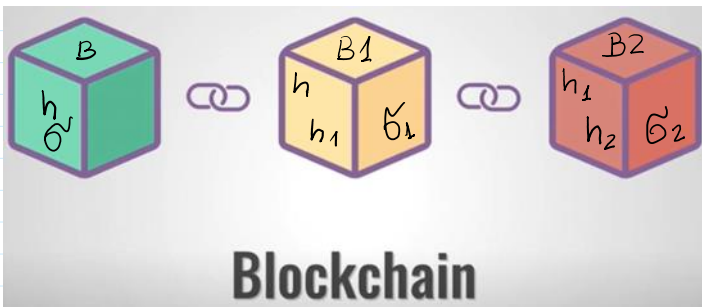
Root Hash: h0

Python : sha256

```

h20: 5B5412B
h21: D5C895A
h11: FEC59B7
h10: 625A41F
h0: 60BA3B5

```



Magic Number (4)	Block Size (4)
Version (4)	Previous Block Hash (32)
	sha 256 bits
	Merkle Root(32)
	Timestamp (4)
Difficulty Target (4)	Nonce (4)
Transaction Counter (Variable : 1-9)	
Transaction List (Variable : Upto 1 MB)	

BLOCK HEADER

Block size = 4 Bytes
 4 Bytes x 8 bits = 32 bits
 Block have
 $2^{32} - 1 = 4294967295$
 In ASCII encoding
 8 bits represents
 1 symbol a, b, c, ...
 Block represents
 536 870 912 symbols

Difficulty Target (DT): defines the complexity of block mining. In our simulation DT we will choose to find h-value of mining (mined block) having only 1 leading hexadecimal digit equal to 0.

$h_{28}(\text{'RootHash_PrevHash_737327631'}) =$

```
>> sha256('RootHash PrevHash 737327631')
ans = F4AE534CD226FAF799 8C8424B348E020BA80639A687E93A0B8C5130ED C51E6DE
                                           C51E6DE
```

```
>> sha256('RootHash PrevHash 737327632')
ans = B856211DF2EE15E30AB770C1A43CE014ECFE573182AFD885B28D96854DBC5F21
>> sha256('RootHash PrevHash 737327633')
ans = 9C18C764E347A58E57AC3F7A3C2874D5889A0E802699FEA47EEFF8C03BFEDA69
```

DT: to mine a block it is needed to find h-value having leading zero in hexadecimal format: C51E6DE OXXXXXX
 F
 1111
 $6 \times 4 = 24 \text{ bits}$

h-value is computed so $\gg h_{28}(\) \rightarrow 7 \text{ hex numbers}$
 What probability to mine a block?

The number of possible h-values of 28 bits: 2^{28} $\gg 2^{28} \text{ ans} = 268\,435\,456$

The number of adequate h-values: 2^{24} $\gg \text{int64}(2^{24}) \text{ ans} = 16777216$

$$Pr\{\text{to Mine}\} = \frac{2^{24}}{2^{28}} = \frac{1}{2^4} = \frac{1}{16}$$

DT: two leading hex number = 00
 The number of adequate h-values: 2^{20} $00XXXXX$
 $5 \times 4 = 20$

$$Pr\{\text{to Mine}\} = \frac{2^{20}}{2^{28}} = \frac{1}{2^8} = \frac{1}{256}$$

DT: two leading hex number = 000
 $000XXXX$
 $4 \times 4 = 16$

$$Pr\{\text{to Mine}\} = \frac{2^{16}}{2^{28}} = \frac{1}{2^{12}} = \frac{1}{4096} \quad \gg 2^{12} \text{ ans} = 4096$$

$$Pr\{\text{to Mine}\} = \frac{1}{2^{28}} = \frac{1}{268\,435\,456} \quad \gg 2^{28} \text{ ans} = 268\,435\,456$$

The probability to mine a block, e.g. in Bitcoin when DT: is to find SHA256 value having 18 leading zeroes $1 \text{ Eth} = 10^{18} \text{ gas}$

```
>> sha256('RootHash PrevHash 737327631')
ans = F4AE534CD226FAF799 8C8424B348E020BA80639A687E93A0B8C5130EDC51E6DE
```

The number of possible h-values having 256 bits is 2^{256} .

The number of adequate h-values of SHA 256 is

$256 - 18 \cdot 4 = 256 - 72 = 184$ bits, that are represented 46 hex. num.

The number of adequate values is 2^{184} .

$$\text{Prob\{to mine\}} = \frac{2^{184}}{2^{256}} = 2^{184-256} = 2^{-72}$$

$$1 \text{ K} = 2^{10} = 1024$$

$$1 \text{ M} = 2^{20} = \dots$$

$$1 \text{ G} = 2^{30} = \dots$$

$$1 \text{ T} = 2^{40} = \dots$$

$$2^{72} \sim 4 \text{ GT} = 4 \cdot 2^{30} \cdot 2^{40} = 2^2 \cdot 2^{30} \cdot 2^{40} = 2^{72}$$

4 722 366 482 869 645 213 696

$$\text{Number of trials } N = 1 \text{ T} \cdot 1 \text{ G} \cdot 2^2 = 4 \cdot 2^{40} \cdot 2^{30}$$

Total net capacity $\text{Cap} \sim 2000 \text{ Th /sek}$

$$\text{Time } T = \frac{N}{\text{Cap}} = \frac{4 \cdot 2^{40} \cdot 2^{30}}{2000 \cdot 2^{40}} \approx \frac{4 \cdot 2^{30}}{2^{11}} = 4 \cdot 2^{19}$$

>> T=int64(4*2^19)

T = 2097152

>> Tval=T/3600

Tval = 583

>> Tdien=Tval/24

Tdien = 24

Private blockchain \longleftrightarrow Public blockchain

Monero blockchain: Transactions sums \rightarrow confidential \rightarrow verifiable
 Sender } \rightarrow anonymous
 Receiver }

How to realize confidential & verifiable transactions.